

# Multiplying and Dividing by Powers of 10

## Home Link 6-1

NAME \_\_\_\_\_

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Use the ideas below to help you solve Problems 1–9.



- To *multiply* by a power of 10, move the decimal point to the right the number of places indicated by the exponent. For example, to multiply by  $10^3$ , move the decimal point to the right 3 places. This works because the exponent tells the number of times a start number is multiplied by 10. Each time a number is multiplied by 10, the digits shift 1 place to the left, which moves the decimal point 1 place to the right.

**Example:**  $4.3 \times 10^3 = 4.3 \times 10 \times 10 \times 10 = 4,300$

- To *divide* by a power of 10, move the decimal point to the left the number of places indicated by the exponent. For example, to divide by  $10^3$ , move the decimal point to the left 3 places. This works because dividing by 10 is the same as multiplying by  $\frac{1}{10}$ . Each time a number is multiplied by  $\frac{1}{10}$ , the digits shift 1 place to the right, which moves the decimal point 1 place to the left.

**Example:**  $4.3 \div 10^3 = 4.3 \div (10 \times 10 \times 10) = 4.3 \div 1,000 = 0.0043$

- ①  $6.8 \times 10^2 =$  \_\_\_\_\_
- ②  $43.9 \div 10^2 =$  \_\_\_\_\_
- ③  $237.5 \div 10^2 =$  \_\_\_\_\_
- ④  $5.29 \times 10^4 =$  \_\_\_\_\_
- ⑤  $13.2 \div 10^3 =$  \_\_\_\_\_
- ⑥  $71.8 \times 10^3 =$  \_\_\_\_\_
- ⑦  $9.4 \times 10^5 =$  \_\_\_\_\_
- ⑧  $3.6 \div 10^4 =$  \_\_\_\_\_
- ⑨ Explain how you moved the decimal point in Problem 2 and why. Use clear mathematical language.

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## Practice

⑩ 
$$\begin{array}{r} \frac{3}{8} \\ + \frac{1}{3} \\ \hline \end{array}$$

⑪ 
$$\begin{array}{r} 2\frac{5}{6} \\ + 1\frac{3}{4} \\ \hline \end{array}$$

# Playing *Exponent Ball*

## Home Link 6-2

NAME \_\_\_\_\_

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Tony is playing *Exponent Ball*. He wrote down each of his expressions but wasn't sure how far to move the ball on each play.



- ① Complete Tony's record sheet. Use Table 1 to determine the number of yards to move the ball.

Table 1: Runs	
Value of Expression	Move Ball
0.0001 to 0.00099	Backward 15 yards
0.001 to 0.0099	Forward 10 yards
0.01 to 99	Forward 20 yards
100 to 3,999	Forward 30 yards
4,000 to 39,999	Forward 40 yards
40,000 and above	Forward 50 yards

Tony's record sheet:

Expression	Value	Move Ball
$4.5 \times 10^3$		
$3.5 \div 10^2$		
$2.3 \div 10^1$		

- ② Choose one of the expressions. Explain how you found the value and determined how far to move the ball.

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## Practice

③ 
$$\begin{array}{r} 5.4 \\ + 9.6 \\ \hline \end{array}$$

④ 
$$\begin{array}{r} 12.71 \\ + 11.58 \\ \hline \end{array}$$

⑤ 
$$\begin{array}{r} 43.65 \\ + 8.94 \\ \hline \end{array}$$

# Solving Conversion Problems

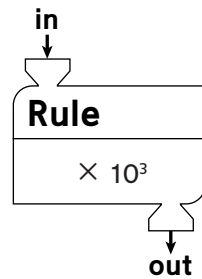
## Home Link 6-3

NAME \_\_\_\_\_

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- ① Convert between kilograms (kg) and grams (g) to complete the table below.



in (kg)	out (g)
1	1,000
5.6	
0.3	
	78
	8

- ② What rule could you use to convert from grams to kilograms? *Hint:* How can you find the *in* number if you know the *out* number? Use exponential notation. \_\_\_\_\_

Use the rules from Problems 1 and 2 to help you solve the number stories below. Show your work. Label the units for each step.

- ③ Micah has a cat and a parrot. Her cat weighs 2.3 kg and her parrot weighs 65 g. How many more kilograms does the cat weigh than the parrot?
- ④ Jasmine's dog weighs 15 kg. The dog's collar weighs 200 g. How many grams does the dog weigh when it is wearing its collar?

The cat weighs \_\_\_\_\_ kg more than the parrot.

The dog weighs \_\_\_\_\_ g with its collar.

## Practice

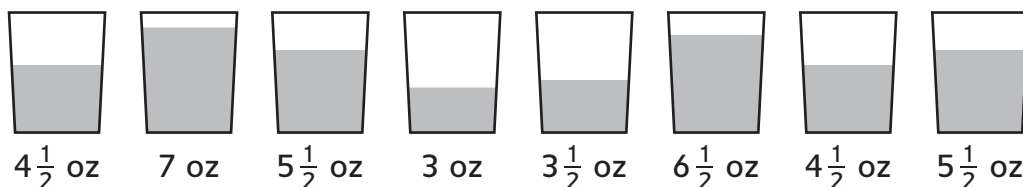
Solve.

⑤ 
$$\begin{array}{r} \frac{7}{8} \\ - \frac{1}{4} \\ \hline \end{array}$$

⑥ 
$$\begin{array}{r} 3\frac{1}{3} \\ - 1\frac{3}{5} \\ \hline \end{array}$$

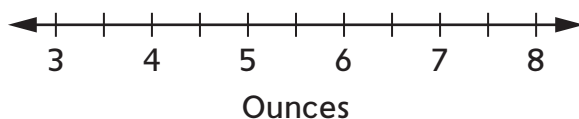
# A Milkshake Problem

Rachel is having a slumber party with 7 friends. Her mom made a big batch of milkshakes. Rachel's little brother tried to help by pouring the milkshakes in glasses, but he had trouble pouring the same amount in each glass.



- ① Plot the amount of milkshake in each glass on the line plot below.

**Milkshakes**



Rachel wants to even out the servings so that everyone will get the same amount of milkshake. Answer the questions to help you figure out how many ounces Rachel should pour into each glass.

*Remember:* To even out data, add all the numbers in the data set, and then divide by the number of data points.

- ②
- How many total ounces of milkshake did Rachel's mom make? \_\_\_\_\_ ounces
  - How many glasses of milkshake are needed? \_\_\_\_\_ glasses
  - Write a number model that represents dividing the milkshake evenly among all the glasses. \_\_\_\_\_
  - How many ounces of milkshake will each friend get? \_\_\_\_\_ ounces

## Practice

Solve.

③  $7.6 \times 10^2 =$  \_\_\_\_\_

④  $18.2 \div 10^2 =$  \_\_\_\_\_

⑤  $779.5 \div 10^3 =$  \_\_\_\_\_

⑥  $81.23 \times 10^4 =$  \_\_\_\_\_

# Using Volume Formulas

## Home Link 6-6

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### Formulas for Volume of a Rectangular Prism

$$V = l * w * h$$

$$V = B * h$$



Use either of the volume formulas to help you solve the problems below.

Write a number model to show how you found the volume. You may use a calculator.

- ① The Aon Center in Chicago is a tall square tower. Its base covers an area of about 37,636 square feet. The building is about 1,136 feet tall. What is the volume of the Aon Center?

Volume: about \_\_\_\_\_ cubic feet

Number model: \_\_\_\_\_

- ② The Great Wall of China is about 20 feet high and about 15 feet wide. What is the volume of a 1-mile section of the wall? (The whole wall is more than 5,000 miles long!)

*Hint:* 1 mile = 5,280 feet

Volume: about \_\_\_\_\_ cubic feet

Number model: \_\_\_\_\_

- ③ The Cathedral of Notre Dame in Paris, France covers an area of 4,800 square meters. The roof is about 43 meters high. What is the volume of the interior of the cathedral?

Volume: about \_\_\_\_\_ cubic meters

Number model: \_\_\_\_\_

## Practice

Multiply. Show your work.

④  $\frac{2}{3} * 34 =$  \_\_\_\_\_

⑤  $72 * \frac{1}{7} =$  \_\_\_\_\_

# Estimating Decimal Products and Quotients

## Home Link 6-8

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Kyle and Emma came up with different answers on their homework. For each problem, make an estimate. Write a number sentence to show how you estimated. Then circle the student who has the correct answer.



①  $8.82 \div 1.4 = ?$  Estimate: \_\_\_\_\_

Kyle: 63    Emma: 6.3

②  $17.6 * 8.5 = ?$  Estimate: \_\_\_\_\_

Kyle: 149.6    Emma: 14.96

③  $2,812.95 \div 89.3 = ?$  Estimate: \_\_\_\_\_

Kyle: 31.5    Emma: 315.0

④  $65.2 * 112.5 = ?$  Estimate: \_\_\_\_\_

Kyle: 733.5    Emma: 7,335

⑤  $209.1 \div 24.6 = ?$  Estimate: \_\_\_\_\_

Kyle: 8.5    Emma: 85.0

⑥  $3.6 * 0.25 = ?$  Estimate: \_\_\_\_\_

Kyle: 9.0    Emma: 0.9

## Practice

Make an estimate. Then solve.

⑦  $526 \div 17 = ?$

\_\_\_\_\_  
(estimate)

⑧  $1,963 / 88 = ?$

\_\_\_\_\_  
(estimate)

Answer: \_\_\_\_\_

Answer: \_\_\_\_\_

# Multiplying Decimals



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Today you learned two different strategies for multiplying decimals. Try to use each decimal multiplication strategy at least once to solve Problems 1–4. Show your work on the back of this page.



## Estimation Strategy

Make an estimate.  
Multiply as if the factors were whole numbers.  
Use your estimate to insert a decimal point in the product.

**Example:**  $70.4 * 18.6 = ?$

*Think:*  $70 * 20$  is about 1,400.

$$704 * 186 = 130,944$$

The product should be close to 1,400, so it must be 1,309.44.

## Shifting the Decimal Point Strategy

Multiply each factor by a power of 10 to get whole numbers.  
Multiply the whole-number factors.  
“Undo” the multiplication by powers of 10. Think about how dividing by the same powers of 10 would shift the decimal point in the answer.

**Example:**  $70.4 * 18.6 = ?$

$$70.4 * 10^1 = 704 \quad 18.6 * 10^1 = 186$$

$$704 * 186 = 130,944$$

*Think:* Dividing by  $10^1$  will shift the decimal point 1 place to the left, and dividing by the other  $10^1$  will shift the decimal point another place to the left. I need to shift it two places in all. So  $70.4 * 18.6 = 1,309.44$ .

①  $81.3 * 47.5 =$  \_\_\_\_\_

②  $7.8 * 215.6 =$  \_\_\_\_\_

③  $0.57 * 3.0 =$  \_\_\_\_\_

④  $1,094.25 * 22.6 =$  \_\_\_\_\_

## Practice

Solve. Show your work on the back of this page.

⑤  $\frac{1}{q} \div 5 =$  \_\_\_\_\_

⑥  $\frac{1}{2} \div 12 =$  \_\_\_\_\_

# Checking Whether My Answer Makes Sense

## Home Link 6-10

NAME \_\_\_\_\_

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- ① Pizza by the Pan sold 4 dozen pizzas in the afternoon. That night, they sold 2.5 times as many pizzas as they did during the afternoon. How many pizzas did they sell in all that day? Show your work and check whether your answer makes sense. Show how you can tell that your answer makes sense.



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## Practice

Divide. Show your work on the back of this page.

②  $6 \div \frac{1}{3} =$  \_\_\_\_\_

③  $10 \div \frac{1}{4} =$  \_\_\_\_\_





# Dividing by Decimals



NAME \_\_\_\_\_

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TIME \_\_\_\_\_

For Problems 1–3:



- Rewrite the problem as an equivalent problem that has a whole-number divisor. Be sure to multiply the dividend and divisor by the same number.
- Solve the equivalent problem using any method you wish. If you don't solve the problem mentally, show your work.
- Record your answer to the equivalent problem and the original problem.

One example is done for you.

**Example:**  $2.8 \div 0.4 = ?$

*Think:* Multiplying 0.4 by 10 will give me a whole number, so I should also multiply 2.8 by 10 to make an equivalent problem.

$$(2.8 * 10) \div (0.4 * 10) = 28 \div 4$$

Equivalent problem:  $28 \div 4 = ?$

Answer to equivalent problem: 7

$$2.8 \div 0.4 = \underline{7}$$

①  $7.2 \div 0.6 = ?$

Equivalent problem: \_\_\_\_\_

Answer to equivalent problem: \_\_\_\_\_

$$7.2 \div 0.6 = \underline{\hspace{2cm}}$$

②  $44 \div 0.5 = ?$

Equivalent problem: \_\_\_\_\_

Answer to equivalent problem: \_\_\_\_\_

$$44 \div 0.5 = \underline{\hspace{2cm}}$$

③  $1.92 \div 0.16 = ?$

Equivalent problem: \_\_\_\_\_

Answer to equivalent problem: \_\_\_\_\_

$$1.92 \div 0.16 = \underline{\hspace{2cm}}$$

## Practice

Add. Show your work on the back of this page.

④  $6.48 + 9.34 = \underline{\hspace{2cm}}$

Estimate: \_\_\_\_\_

⑤  $15.71 + 12.2 = \underline{\hspace{2cm}}$

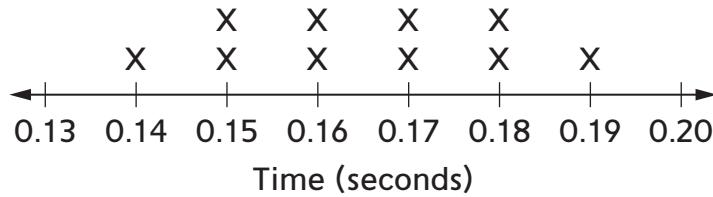
Estimate: \_\_\_\_\_

# Interpreting Reaction-Time Data

Garrett tried the Grab-It Gauge experiment with his left hand. He recorded his results on the line plot below. Use the data to answer the questions.



**Garrett's Left-Hand Reaction Times**



① Which time(s) came up most often for Garrett? \_\_\_\_\_ sec

② Write Garrett's reaction times in order from fastest to slowest.

\_\_\_\_\_

③ What is the difference between Garrett's fastest time and his slowest time?

\_\_\_\_\_ sec

④ What is Garrett's evened-out reaction time? Record your calculations.

Expression: \_\_\_\_\_

\_\_\_\_\_

Evened-out reaction time: \_\_\_\_\_ sec

⑤ What would you say is a typical reaction time for Garrett's left hand? Why?

\_\_\_\_\_

\_\_\_\_\_

\_\_\_\_\_

## Practice

Subtract. Show your work on the back of this page.

⑥  $5.63 - 2.19 =$  \_\_\_\_\_

⑦  $44.12 - 3.85 =$  \_\_\_\_\_

Estimate: \_\_\_\_\_

Estimate: \_\_\_\_\_